## Problem A

A graph $H$ is sparse if every subgraph of $H$ has at most as many edges as vertices. So, for example, the following graph

is not sparse: while the graph itself has fewer vertices than edges, its subgraph induced by the red vertices has four vertices and five edges.

Given a graph $G$ with weights on edges, determine the maximum possible sum of weights of edges in a sparse subgraph of $G$.

## Input and output

The first line contains two integers $n, m \leq 1000000$, the number of vertices and edges of $G$. The vertices of $G$ are numbered from 1 to $n$. Each of the following $m$ lines contains three integers $u$, $v$, and $w$, where $1 \leq u<v \leq n$ and $1 \leq d \leq 1000$; this indicates $G$ contains an edge between $u$ and $v$ of weight $w$. You can assume that $G$ contains at most one edge between any two vertices.

Output a single integer: the maximum possible sum of weights of edges in a sparse subgraph of $G$.

## Example

Input:
45
121
232
343
144
245
Output:

